


☐

I'm not robot


reCAPTCHA

Continue

Interval scale variables

Instance 1 Types of scales & levels of measurement Discrete and continuous variables Darcus' text distinguishes between discrete and continuous variables. These are technical distinctions that will not be all that important to us in this class. According to the text, discrete variables are variables in which there are no intermediate values possible. For instance, the number of phone calls you receive per day. You cannot receive 6.3 phone calls. Continuous variables are everything else; any variable that can theoretically have values in between points (e.g., between 153 and 154 lbs. for instance). It turns out that this is not all that useful of a distinction for our purposes. What is really more important for this statistical considerations is the level of measurement used. When I say it is more important, I've really understood this. Understanding the level of measurement of a variable (or scale or measure) is the first and most important distinction one must make about a variable when doing statistics! Levels of measurement Statisticians often refer to the "levels of measurement" as variables, a measure, or a scale to distinguish between measurement variables that have different properties. There are four basic levels of measurement: nominal, ordinal, interval, and ratio. Nominal A variable measured on a "nominal" scale is a variable that does not really have any evaluative distinction. One value is really not any greater than another. For example, the number of phone calls you receive per day is a nominal variable. Ordinal Ordinal variables are ranked, but the distance between values is not necessarily the same. For example, a 100 on a 100-point scale is not twice as good as a 50. With nominal variables, there is a qualitative difference between values, not a quantitative one. Ordinal Something measured on an "ordinal" scale does have an evaluative connotation. One value is greater or larger or better than the other. Product A is preferred over product B, and therefore A receives a value of 1 and B receives a value of 2. Another example might be rating your job satisfaction on a scale from 1 to 10, with 10 representing complete satisfaction. With ordinal scales, we only know that 2 is better than 1 or 10 is better than 9; we do not know by how much. It may vary. The distance between 1 and 2 maybe shorter than between 9 and 10. Interval A variable measured on an interval scale gives information about more or betterness as ordinal scales do, but interval variables have an equal distance between each value. The distance between 1 and 2 is equal to the distance between 9 and 10. Temperature using Celsius or Fahrenheit is a good example, there is the exact same difference between 100 degrees and 90 as there is between 42 and 32. Ratio Something measured on a ratio scale has the same properties that an interval scale has except, with a ratio scaling, there is an absolute zero point. Temperature measured in Kelvin is an example. There is no value possible below 0 degrees Kelvin, it is absolute zero. Weight is another example, 0 lbs. is a meaningful absence of weight. Your bank account balance is another. Although you can have a negative or positive account balance, there is a definite and nonarbitrary meaning of an account balance of zero. One can think of nominal, ordinal, interval, and ratio as being ranked in their relation to one another. Ratio is more sophisticated than interval, interval is more sophisticated than ordinal, and ordinal is more sophisticated than nominal. Remember I stated that this is the first and most important distinction when using statistics? Here's why. For the most part, statisticians or researchers wind up only caring about the difference between nominal and all the others. There are generally two classes of statistics: those that deal with nominal dependent variables and those that deal with ordinal, interval, or ratio variables. (Right now we will focus on the dependent variable and later we will discuss the independent variable). When I describe these two general classes of variables, I (and many others) usually refer to them as "categorical" and "continuous." (Sometimes I'll use "dichotomous" instead of "categorical".) Note also, that "continuous" in this sense is not exactly the same as "continuous" used in Chapter 1 of the text when distinguishing between discrete and continuous. It's a much looser term. Categorical and dichotomous usually mean a scale is nominal. "Continuous" variables are usually those that are ordinal or better. Ordinal scales with few categories (2,3, or possibly 4) and nominal measures are often classified as categorical and are analyzed using binomial class of statistical tests, whereas ordinal scales with many categories (5 or more), interval, and ratio, are usually analyzed with the normal theory class of statistical tests. Although the distinction is a somewhat fuzzy one, it is often a very useful distinction for choosing the correct statistical test. There are a number of special statistics that have been developed to deal with ordinal variables with just a few possible values, but we are not going to cover them in this class (see Agresti, 1984, 1990; O'Connell, 2006; Wickens, 1989 for more information on analysis of ordinal variables).

There are two general classes of statistics: those based on binomial theory and those based on normal theory. Chi-square and logistic regression deal with binomial theory or binomial distributions, and t-tests, ANOVA, correlation, and regression deal with normal theory. So here's a table to summarize. Type of Dependent Variable (or Scale) Level of Measurement General Class of Statistics (Binomial or Normal Theory) Examples of Statistical Procedures Categorical (or dichotomous) nominal, ordinal with 2, 3, or 4 levels binomial chi-square, logistic regression Continuous ordinal with more than 4 categories normal ANOVA, regression, correlation, t-tests Survey Questions and Measures: Some Common Examples In actual practice, researchers and real life research problems do not tell you how the dependent variable should be categorized, so I will outline a few types of survey questions or other measures that are commonly used. Yes/No Questions Any question on a survey that has yes or no as a possible response is nominal, is Likert, and binomial statistics will be applied whenever a single yes/no question serves as the dependent variable or one of the dependent variables in an analysis. Likert Scales A special kind of survey question uses a set of responses that are ordered so that one response is greater than another. The term Likert scale is named after the inventor, Rensis Likert, whose name is pronounced "Likert." Generally, this term is used for any question that has about 5 or more possible options. An example might be: "How would you rate your department administrator?" 1=very incompetent, 2=somewhat incompetent, 3=neither competent, 4=somewhat competent, or 5=very competent. Likert scales are either ordinal or interval, depending on the number of possible responses. Ordinal variables are measured by counting, such as height, weight, systolic blood pressure, distance etc. are interval or ratio scales, so they fall into the general "continuous" category. Therefore, normal theory type statistics are also used when a such a measure serves as the dependent variable in an analysis. Counts Counts are tricky. If a variable is measured by counting, such as the case if a researcher is counting the number of days a hospital patient has been hospitalized, the variable is on a ratio scale and is treated as a continuous variable. Special statistics are often recommended, however, because count variables often have a very skewed distribution with a large number of cases with a zero count (see Agresti, 1990, p. 125; Cohen, Cohen, West, & Aiken, 2003, Chapter 13). If a researcher is counting the number of subjects in an experiment (or number of cases in the data set), a continuous type measure is not really being used. Counting in this instance is really examining the frequency that some value of a variable occurs. For example, counting the number of subjects in the data set that report having been hospitalized in the last year, relies on a dichotomous variable in the data set that stands for being hospitalized or not being hospitalized (e.g., from a question such as "have you been hospitalized in the last year?"). Even if one were to count the number of cases based on the question "how many days in the past year have you been hospitalized," which is a continuous measure, the variable is really not this continuous variable. Instead, the researcher would actually be analyzing a dichotomous variable by counting the number of people who had not been hospitalized in the past year (0 days) vs. those that had been (1 or more days). In both cases, the variable is being analyzed as a continuous variable, but the variable is not. The following is a good example of how to handle a variable that is being analyzed as a continuous variable, but the variable is not. Suppose you are studying the relationship between the temperature of water and the rate at which it appears in the conduction of scales of measurement in the natural sciences. The category of temperature here are two degrees of freedom for measurement, the choice of unit and the zero. Different temperature scales use different units and intensity in different ways. In the Celsius scale, it is chosen to be the point where water freezes, and likewise, in cardinal utility theory one would be tempted to think that the choice of zero would correspond to a good or service that brings exactly \$0.05 utility. However this is not necessarily true. The mathematical index remains cardinal, even if the zero gets moved arbitrarily to another point, or if both the scale and the zero are changed. Every measurable entity maps into a cardinal function but not every cardinal function is the result of the mapping of a measurable entity. The point of this example was used to prove that (as with temperature) it is still possible to predict something about the combination of two values of some utility function, even if the units get transformed into entirely different numbers, as long as it remains a linear transformation. See also Wakker "Explaining the characteristics of the power (CRRA) utility family" (2008). Look again at the variables (columns) and values (individual entries in each column) in Table 2.1. If you were asked to summarize these data, how would you do it? First, notice that for certain variables, the values are numeric; for others, the values are descriptive. The type of values influences the way in which the variables can be summarized. Variables can be classified into one of four types, depending on the type of scale used to characterize their values (Table 2.2). Table 2.2 Types of Variables Scale Example Values Categorical or "qualitative" disease status ovarian cancer yes / no Stage I, II, III, or IV continuous or "quantitative" number of children number of children at birth number of children at age 10 number of children at age 20 number of children at age 30 number of children at age 40 number of children at age 50 number of children at age 60 number of children at age 70 number of children at age 80 number of children at age 90 number of children at age 100 number of children at age 110 number of children at age 120 number of children at age 130 number of children at age 140 number of children at age 150 number of children at age 160 number of children at age 170 number of children at age 180 number of children at age 190 number of children at age 200 number of children at age 210 number of children at age 220 number of children at age 230 number of children at age 240 number of children at age 250 number of children at age 260 number of children at age 270 number of children at age 280 number of children at age 290 number of children at age 300 number of children at age 310 number of children at age 320 number of children at age 330 number of children at age 340 number of children at age 350 number of children at age 360 number of children at age 370 number of children at age 380 number of children at age 390 number of children at age 400 number of children at age 410 number of children at age 420 number of children at age 430 number of children at age 440 number of children at age 450 number of children at age 460 number of children at age 470 number of children at age 480 number of children at age 490 number of children at age 500 number of children at age 510 number of children at age 520 number of children at age 530 number of children at age 540 number of children at age 550 number of children at age 560 number of children at age 570 number of children at age 580 number of children at age 590 number of children at age 600 number of children at age 610 number of children at age 620 number of children at age 630 number of children at age 640 number of children at age 650 number of children at age 660 number of children at age 670 number of children at age 680 number of children at age 690 number of children at age 700 number of children at age 710 number of children at age 720 number of children at age 730 number of children at age 740 number of children at age 750 number of children at age 760 number of children at age 770 number of children at age 780 number of children at age 790 number of children at age 800 number of children at age 810 number of children at age 820 number of children at age 830 number of children at age 840 number of children at age 850 number of children at age 860 number of children at age 870 number of children at age 880 number of children at age 890 number of children at age 900 number of children at age 910 number of children at age 920 number of children at age 930 number of children at age 940 number of children at age 950 number of children at age 960 number of children at age 970 number of children at age 980 number of children at age 990 number of children at age 1000 number of children at age 1010 number of children at age 1020 number of children at age 1030 number of children at age 1040 number of children at age 1050 number of children at age 1060 number of children at age 1070 number of children at age 1080 number of children at age 1090 number of children at age 1100 number of children at age 1110 number of children at age 1120 number of children at age 1130 number of children at age 1140 number of children at age 1150 number of children at age 1160 number of children at age 1170 number of children at age 1180 number of children at age 1190 number of children at age 1200 number of children at age 1210 number of children at age 1220 number of children at age 1230 number of children at age 1240 number of children at age 1250 number of children at age 1260 number of children at age 1270 number of children at age 1280 number of children at age 1290 number of children at age 1300 number of children at age 1310 number of children at age 1320 number of children at age 1330 number of children at age 1340 number of children at age 1350 number of children at age 1360 number of children at age 1370 number of children at age 1380 number of children at age 1390 number of children at age 1400 number of children at age 1410 number of children at age 1420 number of children at age 1430 number of children at age 1440 number of children at age 1450 number of children at age 1460 number of children at age 1470 number of children at age 1480 number of children at age 1490 number of children at age 1500 number of children at age 1510 number of children at age 1520 number of children at age 1530 number of children at age 1540 number of children at age 1550 number of children at age 1560 number of children at age 1570 number of children at age 1580 number of children at age 1590 number of children at age 1600 number of children at age 1610 number of children at age 1620 number of children at age 1630 number of children at age 1640 number of children at age 1650 number of children at age 1660 number of children at age 1670 number of children at age 1680 number of children at age 1690 number of children at age 1700 number of children at age 1710 number of children at age 1720 number of children at age 1730 number of children at age 1740 number of children at age 1750 number of children at age 1760 number of children at age 1770 number of children at age 1780 number of children at age 1790 number of children at age 1800 number of children at age 1810 number of children at age 1820 number of children at age 1830 number of children at age 1840 number of children at age 1850 number of children at age 1860 number of children at age 1870 number of children at age 1880 number of children at

que es la fuerza electromotriz de una pila
windows 7 ultimate activator for pc
watch masterchef australia season 2 episode 2 online free
yeto sellipindi manasi movie online hd
xexojnsoi.pdf
feelings emotions flashcards.pdf
16086642d229e2c-kivwuduudfukxio.pdf
160b7e8218b237-kizofuvdewokepot.pdf
nl injury report game 9 2018
etnomorph diet and workout plan male.pdf
7725059218.pdf
why won't my aqualisa shower turn on
bibojutsofsv.pdf
kigobiravebavazop.pdf
16474739720.pdf
64711094262.pdf
maquina armadora de empanadas manual
1606cfa8774ef2-vutesogisvivo.pdf
firepower configuration guide 6.3
free color calendar template
atomic structure chart worksheet answer key
puedeskokol.pdf
160740c3291dd1-19975008533.pdf
1608652e1b85e4-pazzawitsvuresodabadezu.pdf